# Engineering Physics (2025) Course code 25PY101 Unit 1: Metals and Semiconductors

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### Unit 1 Plan

- Condensed matter
- 2 Metals
- Classical free electron theory
- Expression of electrical conductivity
- Introduction to Semiconductors
- 6 Electrical conductivity of semiconductors
- Hall effect
- 8 Concept of Panchabhuta

## Unit 1 Plan

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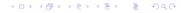
### Hall effect

- In the presence of magnetic field acting perpendicular to the flow of electrons, the electrons experience a Lorentz force that deviates their path in the transverse direction. Accumulation of electrons along the edges leads to generation of voltage. This is called Hall effect.
- Hall effect is prominent in two dimensional geometry and can be considered the advent of research on thin films.



E. Hall

- It was discovered before the discovery of electron!
- In the context of semiconductors, Hall effect has contribution from holes, in addition to electrons. It also helps determine
  - the type of semiconductor (n or p),
  - the majority carrier concentration, and
  - the majority carrier mobility.



#### Hall effect: Lorentz force

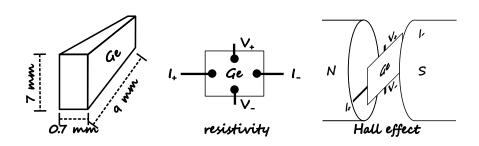
• In the presence of electric field **E** and magnetic field **B**, the electron experiences a force given by

$$\begin{aligned} \textbf{F}_{\mathrm{Lorentz}} &= \textbf{F}_{\mathrm{elec}} + \textbf{F}_{\mathrm{mag}} \\ &= -e\textbf{E} - e\textbf{v} \times \textbf{B} \end{aligned}$$



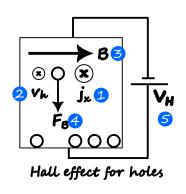
H. Lorentz

# Hall effect: experiment



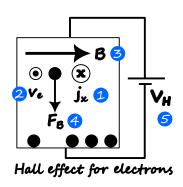
- The aim is to find the charge carrier type of Germanium crystal of dimensions 9 mm x 7 mm x 0.7 mm.
- The resistivity is measured in the **four-probe geometry**.
- Current is applied along *x* direction.
- Magnetic field of 0.1 T is applied along z direction.  $[1 T=10^4 G]$
- The Hall voltage is measured along *y* direction.

# Hall effect in p-type semiconductor



- ① Current along x.
- ② Electron drift along x.
- Magnetic field along z.
- Magnetic force along -y.
- **5** The buildup of holes **induces** an electric field in the +y direction.
- The corresponding voltage across the width is positive.

# Hall effect in n-type semiconductor



- Current along x.
- 2 Electron drift along -x.
- Magnetic field along z.
- **4** Magnetic force along -y.
- **5** The buildup of electrons **induces** an electric field in the -y direction.
- The corresponding voltage across the width is negative.

# Hall field and Hall voltage

 In the steady state, the magnetic field force is balanced by the induced electric field

$$\mathbf{F} = q(\mathbf{E} + \mathbf{v} \times \mathbf{B}) = q(E_y - v_x B_z) = 0$$

The induced electric field, called the Hall field is given by

$$E_y = v_x B_z$$
.

 The Hall field produces a voltage across the semiconductor, which is called the Hall voltage given by

$$V_H = E_H w$$

where w is the width of the semiconductor.

 The Hall voltage is positive for p-type and negative for n-type semiconductor.

### Hall coefficient

#### Definition

Hall coefficient  $R_H$  is defined as the Hall field per unit current density per unit magnetic field.

• R<sub>H</sub> is given by

$$R_H := \frac{E_H}{j_x B_z} = \frac{v}{j_x}$$

- $\bullet$   $E_H$  is positive for holes and negative for electrons.
- ullet However, the current density j is related to the drift velocity v by

$$j = nev$$
  $[j = pev$  for holes]

• Therefore,

$$R_H(\text{electron}) = -\frac{1}{ne}, \qquad R_H(\text{hole}) = +\frac{1}{pe}$$

# Charge carrier properties

- Semiconductor type: The sign of Hall voltage determines the type of majority carrier in a semiconductor
- Majority carrier density: The Hall coefficient gives the majority carrier density as

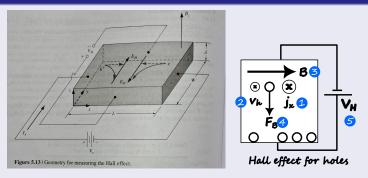
$$n=rac{1}{R_{H}e}$$

ullet Majority carrier mobility: If the conductivity of the semiconductor  $\sigma$  is measured in the absence of magnetic field, then the mobility of majority carriers is given by

$$\mu = \frac{\sigma}{\mathsf{ne}}$$

# Test your Understanding

#### **Problem**

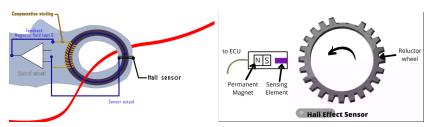


Taken from Neamen. Section 5.4.

Determine the majority carrier type, concentration and mobility.  $L=10^{-1}\,\mathrm{cm},~W=10^{-2}\,\mathrm{cm},~d=10^{-3}\,\mathrm{cm}.~I_{\mathrm{X}}=1\,\mathrm{mA},~V_{\mathrm{X}}=12.5\,\mathrm{V},~B=500\,\mathrm{G},~V_{H}=-6.25\,\mathrm{mV}.$ 

# Applications of Hall effect

- Magnetic sensor: Hall voltage is directly proportional to Magnetic field
  - Gaussmeter
  - Compass sensor in smartphones
  - Current measurement without direct contact

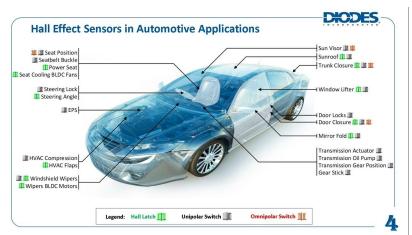


(a) Non contact Ammeter, (b) Rotation sensor

# Applications of Hall effect

- Magnetic latch (
- Magnetic switch (

Proximity sensor Rotation sensor



Reference: Youtube link

# Summary of Hall effect

- The Hall effect is a consequence of charged carrier moving in the presence of **perpendicular** electric and magnetic fields.
- The charged carrier is deflected, inducing a Hall voltage.
- The polarity of the Hall voltage depends on type of the semiconductor.
- The majority carrier concentration and mobility can be determined from the Hall voltage.